

# WU #4 - Sums of Squares

Math 158 - Jo Hardin

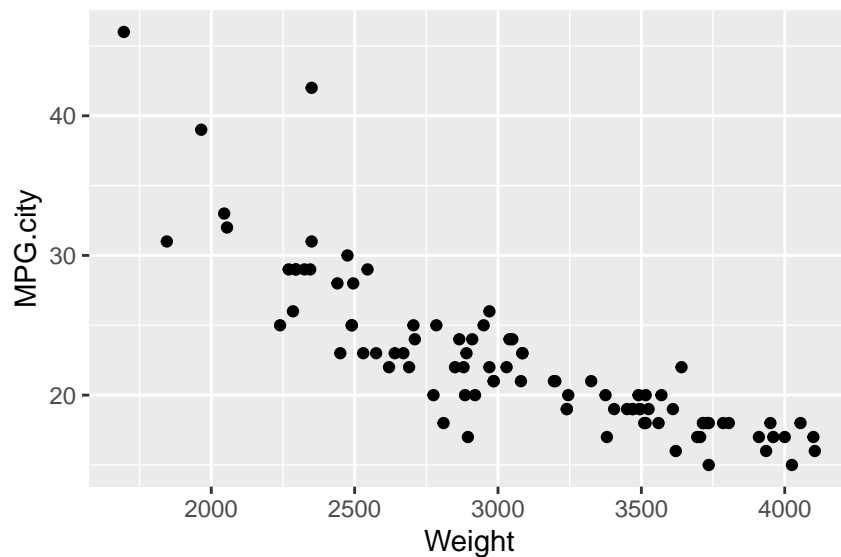
Tuesday 2/1/2022

Name: \_\_\_\_\_

Names of people you worked with: \_\_\_\_\_

Consider the following ANOVA table. The data are based on a random sample of cars from among 1993 passenger car models that were listed in both *Consumer Reports* and the *PACE Buying Guide*. We are considering the variables *weight* and *MPG.city*.

```
Cars93 %>%  
  ggplot(aes(y=MPG.city, x= Weight)) +  
  geom_point()
```



```
Cars93 %>%  
  lm(MPG.city ~ Weight, data = .) %>%  
  anova() %>%  
  tidy()
```

```
## # A tibble: 2 x 6  
##   term      df sumsq  meansq  statistic  p.value  
##   <chr>    <int> <dbl>  <dbl>    <dbl>    <dbl>  
## 1 Weight      1 2066.  2066.    224.  2.97e-26  
## 2 Residuals  91  840.    9.23     NA     NA
```

1. Find  $R^2$ .
2. Interpret  $R^2$ .

## Solution:

1.

```
Cars93 %>%  
  lm(MPG.city ~ Weight, data = .) %>%  
  anova() %>%  
  tidy() %>%  
  mutate(R2 = 1 - sumsq / sum(sumsq)) %>%  
  filter(term == "Residuals") %>%  
  dplyr::select(R2)
```

```
## # A tibble: 1 x 1  
##       R2  
##   <dbl>  
## 1 0.711
```

Check:

```
Cars93 %>%  
  lm(MPG.city ~ Weight, data = .) %>%  
  glance()
```

```
## # A tibble: 1 x 12  
##   r.squared adj.r.squared sigma statistic p.value    df logLik  
##   <dbl>         <dbl> <dbl>     <dbl>   <dbl> <dbl> <dbl>  
## 1     0.711         0.708  3.04     224. 2.97e-26     1 -234.  
## # ... with 5 more variables: AIC <dbl>, BIC <dbl>,  
## #   deviance <dbl>, df.residual <int>, nobs <int>
```

2. 71.1% of the variability in the MPG that a car gets in the city can be explained by the linear model with weight of the car.